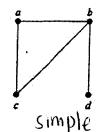
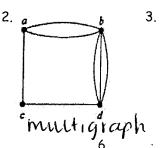
Worksheet #2—Types of Graphs

Classify each graph as a simple graph, multigraph, pseudograph, directed graph, or directed

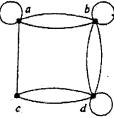
multigraph.



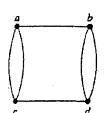




3.

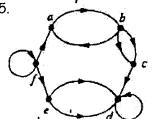


pseudograph

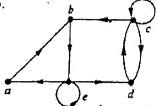


multigraph

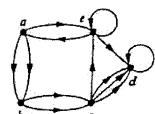
5.



directed multigraph



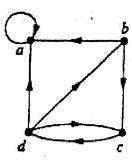
directed multigraph



directed multigraph

Complete the chart and information for each graph.

8.

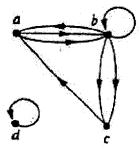


# of vertices	=	4

vertex	in-degree	out-degree
а	3	ĺ
Ь	i	J
С	a	ı
d	1	3

sum of the in-degree = $_{-7}$ sum of the out-degree = $_{-7}$

9.

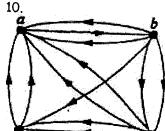


# of edges =	
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of edges = _______

vertex	in-degree	out-degree
α	2	a
ь	3	4
с	a	1
d		

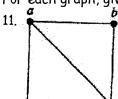
sum of the in-degree = 8 sum of the out-degree = 8

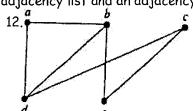


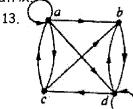
	vertex	in-degree	out-degree
* ×× * *	a	62	ſ
	b		5
	С	2	E
	d	4	2
e e	e	0	$\frac{1}{D}$

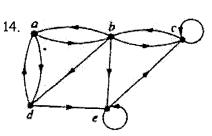
sum of the in-degree = 13 sum of the out-degree = 13

(See next page for answers / For each graph, give an adjacency list and an adjacency matrix,









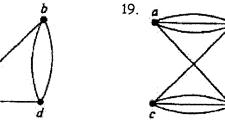
Draw a directed graph with the given adjacency matrix.

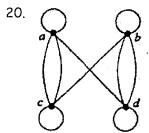
$$\begin{bmatrix}
0 & 1 & 0 \\
1 & 0 & 1 \\
0 & 1 & 0
\end{bmatrix}$$

$$\begin{bmatrix}
0 & 0 & 1 & 1 \\
0 & 0 & 1 & 0 \\
1 & 1 & 0 & 1 \\
1 & 1 & 1 & 0
\end{bmatrix}$$

$$\begin{bmatrix} 1 & 1 & 1 & 0 \\ 0 & 0 & 1 & 0 \\ 1 & 0 & 1 & 0 \\ 1 & 1 & 1 & 0 \end{bmatrix}$$

Represent each undirected graph with an adjacency matrix.



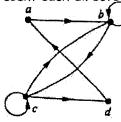


Draw an undirected graph represented by the given adjacency matrix.

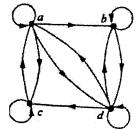
$$\begin{bmatrix} 1 & 2 & 0 & 1 \\ 2 & 0 & 3 & 0 \\ 0 & 3 & 1 & 1 \\ 1 & 0 & 1 & 0 \end{bmatrix}$$

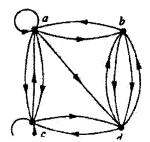
$$\begin{bmatrix} 0 & 1 & 3 & 0 & 4 \\ 1 & 2 & 1 & 3 & 0 \\ 3 & 1 & 1 & 0 & 1 \\ 0 & 3 & 0 & 0 & 2 \\ 4 & 0 & 1 & 2 & 3 \end{bmatrix}$$

Represent each directed graph with an adjacency matrix.









Draw the directed graph represented by the given adjacency matrix.

$$\begin{bmatrix} 1 & 0 & 1 \\ 0 & 0 & 1 \\ 1 & 1 & 1 \end{bmatrix}$$

$$\begin{bmatrix} 1 & 2 & 1 \\ 2 & 0 & 0 \\ 0 & 2 & 2 \end{bmatrix}$$

verlex adjacent to 11. a b, c, d b c, d c c, d d a, b, c	
12. a b,d b a,d,e c d,e d a,b,c e b,c	0 1 0 10 1 0 0 11 0 0 0 11 1 1 1 0 0 -0 1 1 0 0
13. a a,b,cd, b d c a,b d a,b,c	
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IS. A B C I6. A B C	17. PA B

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			1 1 1 1 1	
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	12110		1011	
	1201		0210	
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	B	<u> </u>	A B	
	C		- Ac	
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